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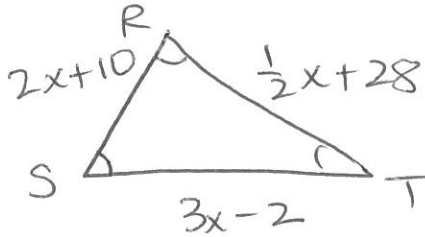
key

Date:

Period:

OPTIONAL Practice Test

1. In $\triangle RST$, $RS = 2x + 10$, $ST = 3x - 2$, and $RT = \frac{1}{2}x + 28$. If $\triangle RST$ is equiangular, what is the value of x ?

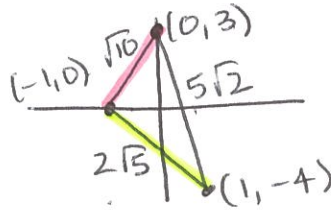
if $\triangle \rightarrow \triangle$

$$2x + 10 = 3x - 2$$

$$\boxed{12 = x}$$

2. Which of the following best describes a triangle with vertices having coordinates $(-1, 0)$, $(0, 3)$ and $(1, -4)$?

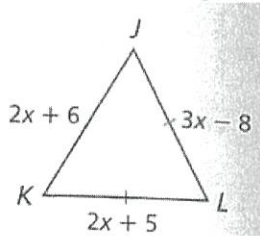
- ☒ a. Equilateral
☒ b. Isosceles
☒ c. Right
☒ d. scalene
☒ e. equiangular



$$m = \frac{3-0}{0-(-1)} = \frac{3}{1} = 3$$

$$m = \frac{0-(-4)}{-1-1} = \frac{4}{-2} = -2$$

3. Find the side lengths of $\triangle JKL$.

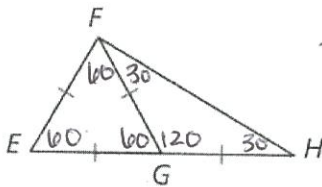


$$2x + 5 = 3x - 8$$

$$13 = x$$

$$\boxed{KL = 31} \quad \boxed{JL = 31} \quad \boxed{JK = 32}$$

4. Classify each triangle by its side lengths AND angle measures.

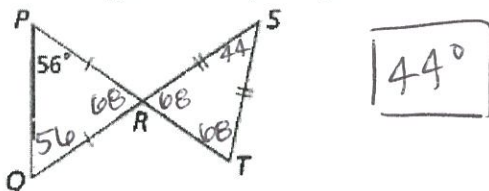


a. $\triangle EFG$
 equilateral
 equiangular

b. $\triangle FGH$
 isosceles
 obtuse

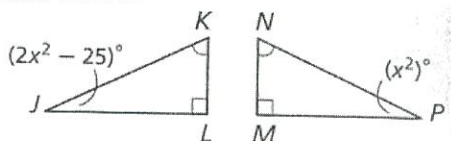
c. $\triangle EFH$
 scalene
 right

5. In the figure below, find $m\angle S$.



$$\boxed{44^\circ}$$

6. Find $m\angle N$.

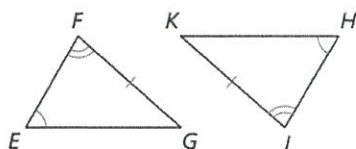


$$x^2 = 2x^2 - 25$$

$$x^2 = 25 \rightarrow m\angle P = 25^\circ \quad \text{so,}$$

$$\boxed{m\angle N = 65^\circ}$$

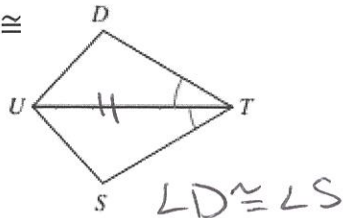
7. Write a congruency statement for the triangles.



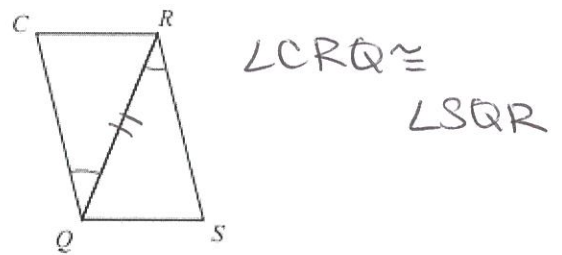
$$\triangle FGE \cong \triangle JKH$$

8. State the additional information that is required in order to know that the triangles are congruent for the reason given.

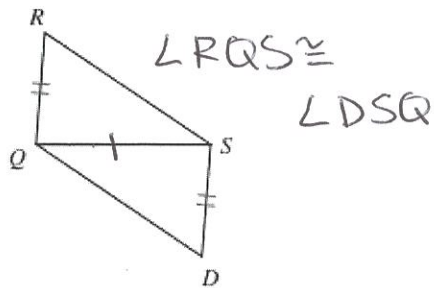
a. $AAS \cong$



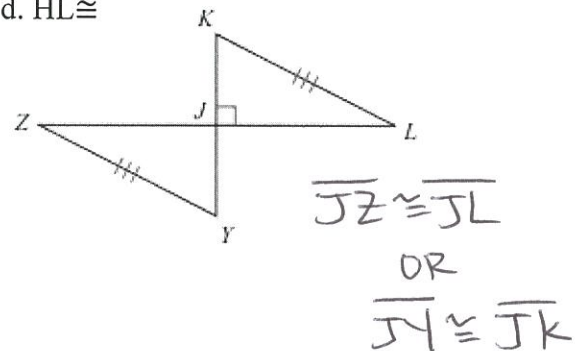
b. $ASA \cong$



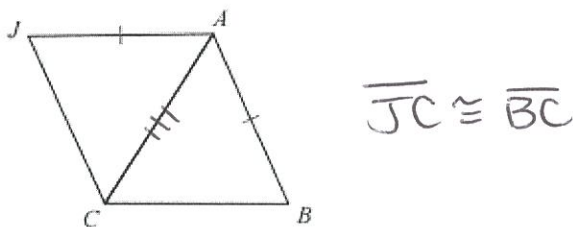
c. $SAS \cong$



d. $HL \cong$

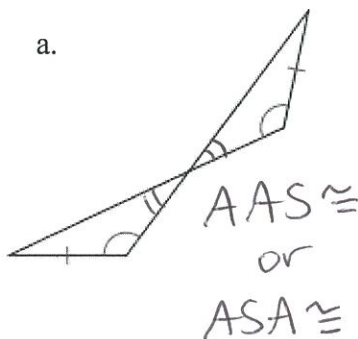


e. $SSS \cong$

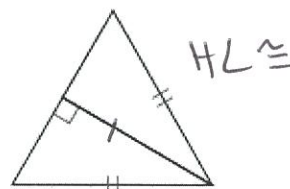


9. Determine whether you can conclude that the triangles are congruent. If you can, state the theorem used and write a congruency statement. If you cannot conclude that the triangles are congruent, say "not enough information."

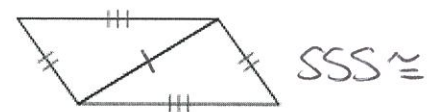
a.



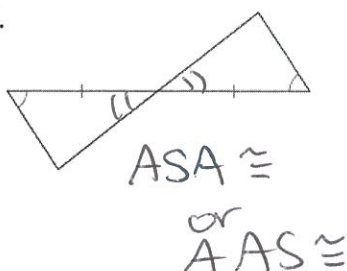
b.



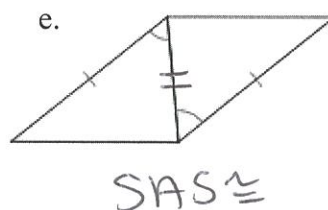
c.



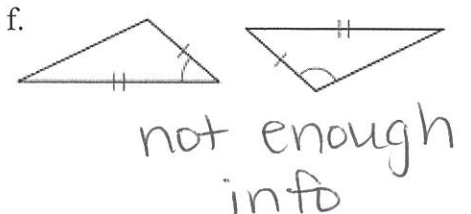
d.



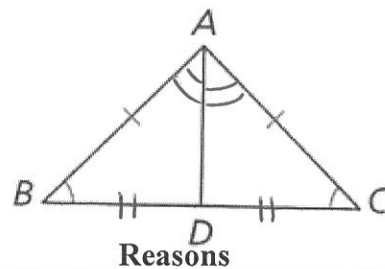
e.



f.



10. **Given:** $\angle B \cong \angle C$, $\overline{AB} \cong \overline{AC}$ and $\overline{AD}$ is the bisector of $\angle BAC$
Prove: D is the midpoint of $\overline{BC}$



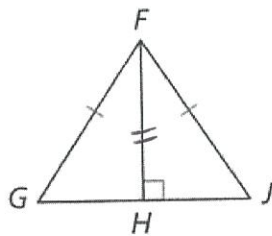
Statements

Reasons

- ① $\angle B \cong \angle C$, $\overline{AB} \cong \overline{AC}$
 $\overline{AD}$ is bisector of $\angle BAC$
- ② $\angle BAD \cong \angle CAD$
- ③ $\triangle BAD \cong \triangle CAD$
- ④ $\overline{BD} \cong \overline{CD}$
- ⑤ D is the midpoint of $\overline{BC}$

- ① given
- ② def. of an $\angle$ bisector
- ③ ASA $\cong$ (1, 1, 2)
- ④ CPCTC
- ⑤ def. of a midpoint

11. **Given:** $\overline{FG} \cong \overline{FJ}$ and $\overline{FH} \perp \overline{GJ}$
Prove: $\triangle FGH \cong \triangle FJH$



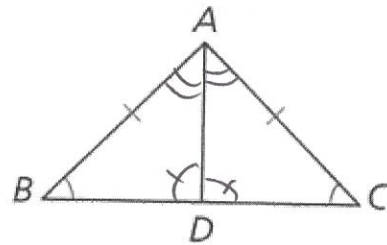
Statements

Reasons

- ① $\overline{FG} \cong \overline{FJ}$, $\overline{FH} \perp \overline{GJ}$
- ② $\angle FHT$ and $\angle FHG$ are right $\angle$ s
- ③ $\triangle FHT$ and $\triangle FGH$ are right $\triangle$ s
- ④ $\overline{FH} \cong \overline{FH}$
- ⑤ $\triangle FGH \cong \triangle FJH$

- ① given
- ② $\perp \rightarrow$ right $\angle$ s
- ③ def. of a right $\triangle$
- ④ reflex. prop. $\cong$
- ⑤ HL $\cong$ (1, 4)

12. **Given:** $\angle B \cong \angle C$, $\overline{AB} \cong \overline{AC}$ and $\overline{AD}$ is the bisector of $\angle BAC$
Prove: $\overline{AD} \perp \overline{BC}$



Statements

Reasons

- ① $\angle B \cong \angle C$, $\overline{AB} \cong \overline{AC}$
 $\overline{AD}$ is bisector of $\angle BAC$
- ② $\angle BAD \cong \angle CAD$
- ③ $\angle BDA \cong \angle CDA$
- ④ $\overline{AD} \perp \overline{BC}$

- ① given
- ② def. of an $\angle$ bisector
- ③ 3rd $\angle$ s Thm
- ④ Linear Pair $\perp$ Thm
 (see notes from ch. 3!)